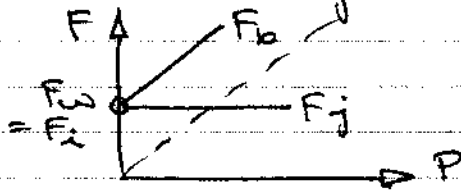
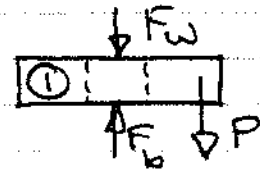


2(a) Since the bolt and 1 do not deform, the washer's deformation is constant. Its force F_w is therefore also constant, so $F_w = F_i$, its initial value.

For equilibrium of FBD ①

$$F_b = F_w + P = F_i + P$$

while $F_j = F_w (= F_i)$



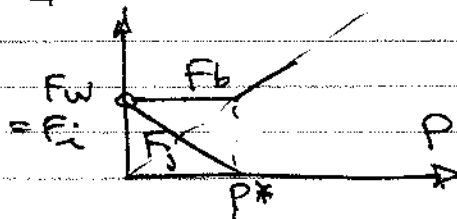
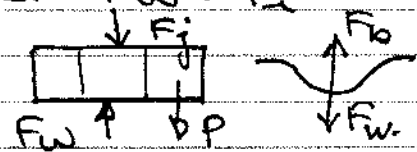
These equations for F_b, F_j plot as shown. Separation is impossible.

(b) If contact between 1 and 2 is maintained then the washer will not deform - so again its force is constant, and $F_w = F_i$

For equilibrium

$$F_j = F_w - P = F_i - P$$

$$\& F_b = F_w = F_i$$



The plot of these equations demonstrates the reverse of (a) - now F_b is const. and F_j varies with P .

When F_j is zero, at separation: $P^* = F_i$

The behaviours of (a) & (b) are limiting cases of the behaviour described by equations (3a)

From the F_b equations with $F_i = 10, P = 2 \text{ kN}$

(a) $F_b = F_i + P = 12 \text{ kN}$

(b) $F_b = F_i = 10 \text{ kN}$.